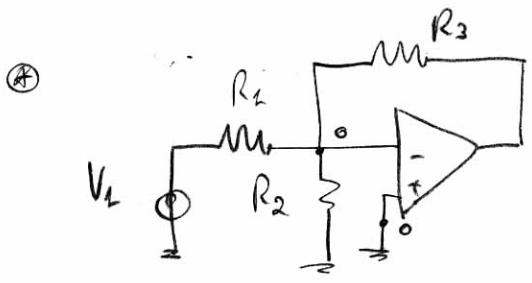
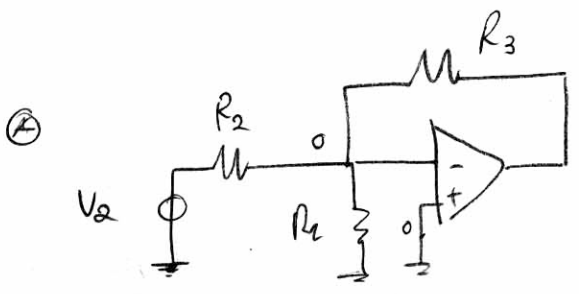


ESERCIZIO 1

①A principio di sovrapposizione degli effetti

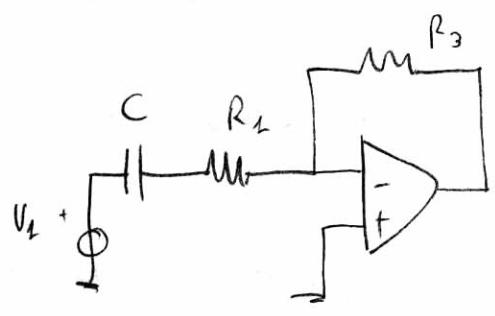


$$|G_1| = -\frac{R_3}{R_1} = -\frac{100\text{ k}\Omega}{5\text{ k}\Omega} = \boxed{-20}$$

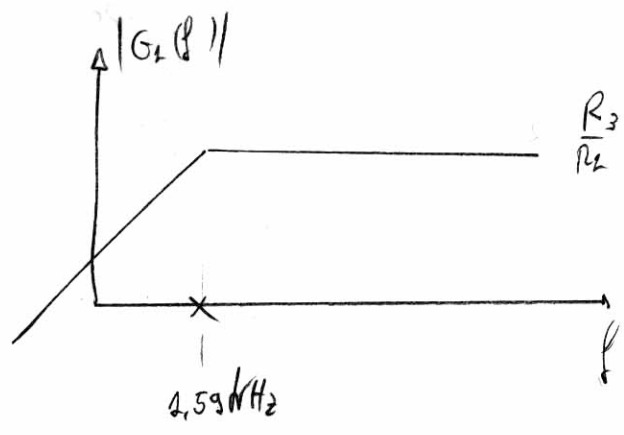


$$|G_2| = -\frac{R_3}{R_2} = -\frac{100\text{ k}\Omega}{10\text{ k}\Omega} = \boxed{-10}$$

①B



$$G_2(s) = \frac{R_3}{R_1 + \frac{1}{sC}} = \frac{sCR_3}{1 + sCR_1}$$

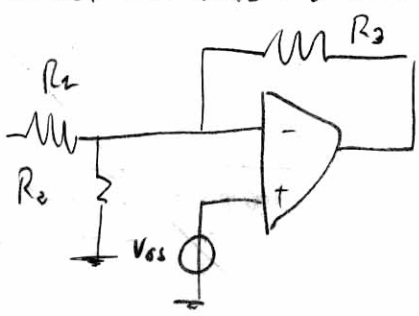


$$\frac{R_3}{R_1} = 20$$

$$\tau_p = CR_1 = 5\text{ nA} \cdot 20\text{ nF} = 100\ \mu\text{s}$$

$$f_p = \frac{1}{2\pi\tau_p} = 2.59\ \text{kHz}$$

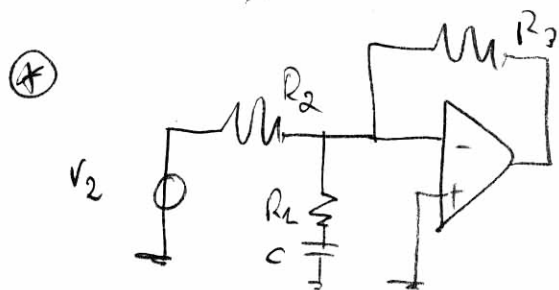
①C OFFSET COSTANTE → COMBINAZIONE APERTO



$$\begin{aligned} V_{out}|_{os} &= V_{os} \left( 1 + \frac{R_3}{R_2} \right) = \\ &= 2\text{ mV} (1 + 10) = \boxed{22\text{ mV}} \end{aligned}$$

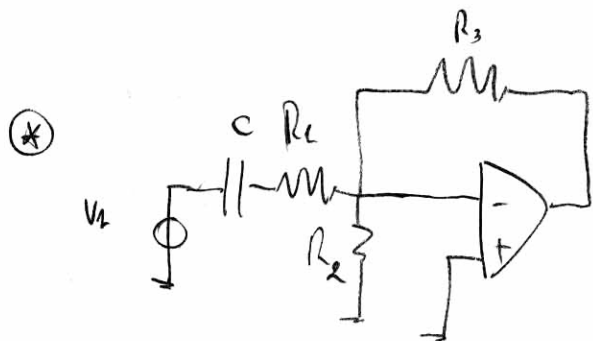
NB: Non è noto a priori il segno della tensione di output

① PRINCIPIO di sovrapposizione degli effetti



$$\overline{|V_{out}|_2} = G_2 \times 200 \text{ mV}$$

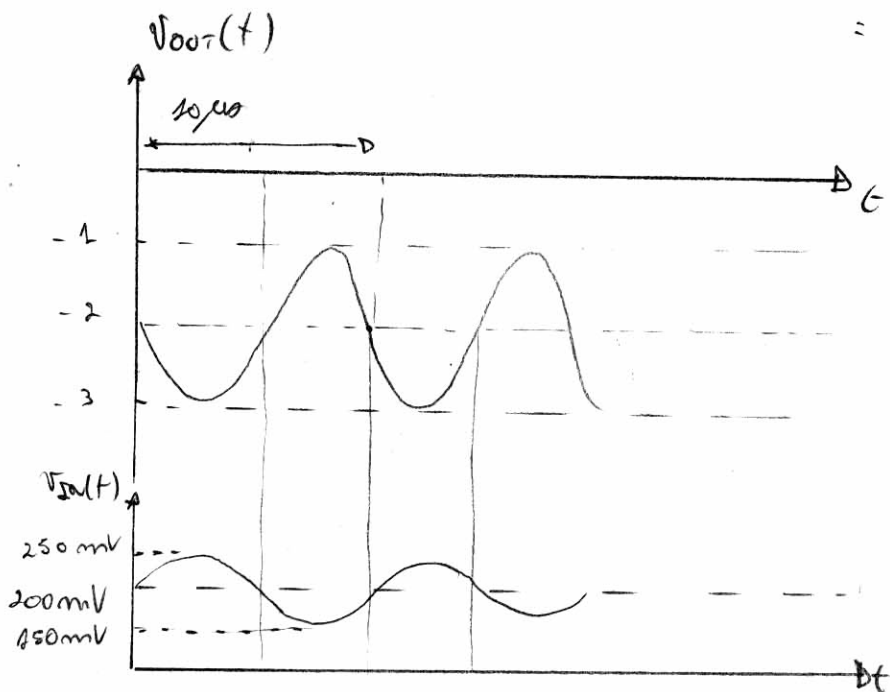
$$= \boxed{-2 \text{ V}}$$



$$\overline{|V_{out}|_1} = G_1(\bar{f}) A_1 \sin(2\pi \bar{f} t)$$

$$= (-20) \times 50 \text{ mV} \sin(\omega_1 t)$$

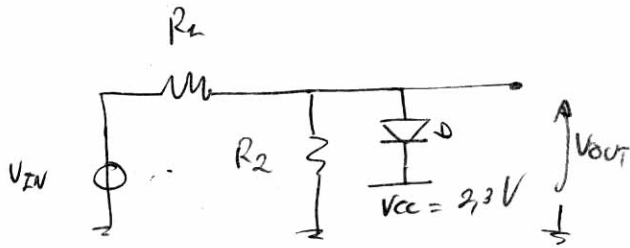
$$= (-2 \text{ V}) \times \sin(\omega_1 t)$$



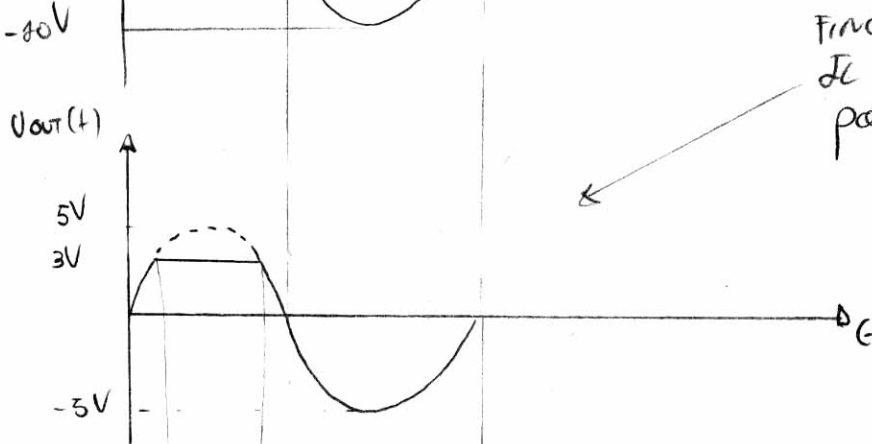
NB:  $G(\bar{f}) = G(100 \text{ kHz})$   
 $= -20 \text{ come si}$   
 DEDUCE DAL PUNTO 1B

ESERCIZIO 2

2.A

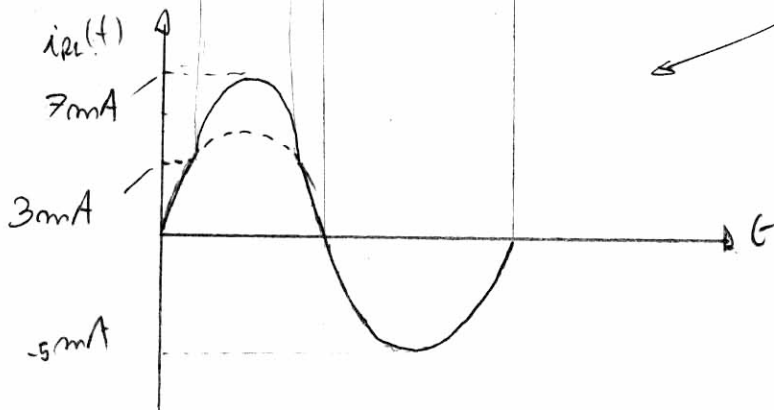


Il diodo si accende solo quando  $V_{OUT} > 3V$ . In questo caso l'uscita viene bloccata a  $+3V$



FINO A CHE NON INTERVIENE IL DIODO  $V_{OUT}$  è data dalla partizione di  $V_{IN}$  su  $R_1 + R_2$ :

$$V_{OUT} = V_{IN} \frac{R_2}{R_1 + R_2} = V_{IN} \frac{1}{2}$$



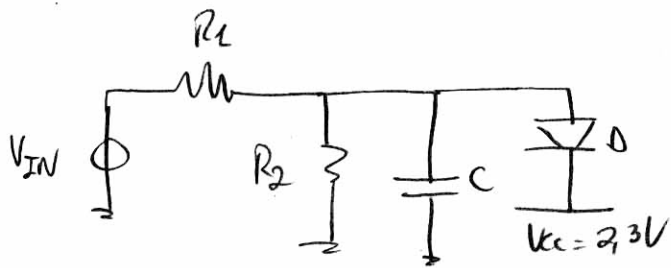
Finché non interviene il diodo la corrente in  $R_1$  è uguale a quella che scorre in  $R_2$  ed è pari a:

$$i_{R_1} = \frac{V_{in}}{R_1 + R_2} = \frac{10V \sin(2\pi f t)}{2k\Omega} = 5mA \sin(2\pi f t)$$

Quando il diodo si accende:

$$i_{R_1} = \frac{V_{IN}(t) - 3V}{R_1} = \frac{10V \sin(2\pi f t) - 3V}{1k\Omega}$$

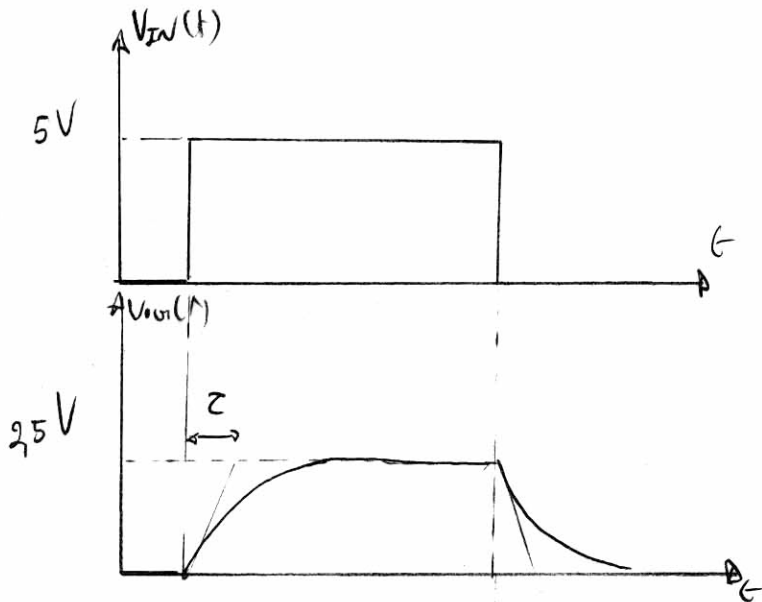
2B



D si accende solo se  $V_{out} > 3V$ .

Inizialmente si può ipotizzare che D sia spento, salvo verificare a posteriori.

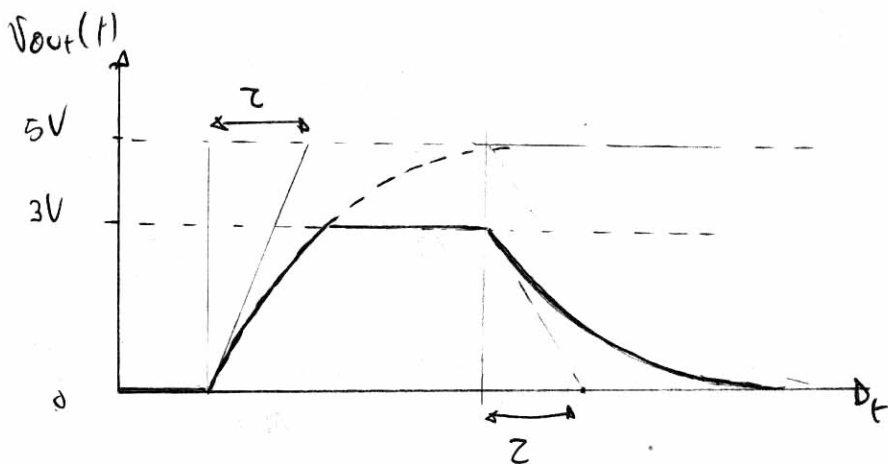
$$\tau = C(R1 \parallel R2) = 2\mu F \times \frac{1}{2} \text{ k}\Omega = 1 \text{ ms}$$



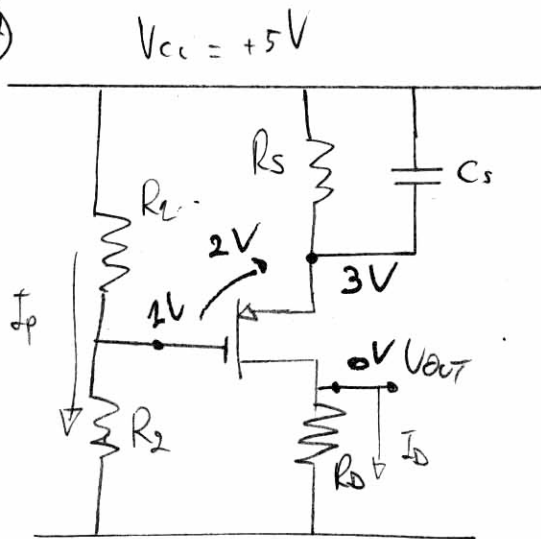
L'uscita non supera mai i 3V  $\rightarrow$  è corretta l'ipotesi che il diodo sia sempre spento

2C

Come nel caso precedente, ma l'uscita tenderà ad andare a +5V  $\rightarrow$  quando supera i 3V antiverrà il diodo che la blocca:



3.11



$$V_{DD} = -3V$$

$$\textcircled{*} I_D = K (V_{GS} - V_T)^2 \rightarrow (V_{GS} - V_T) = \sqrt{\frac{I_D}{K}} = \sqrt{\frac{500 \mu A}{2 \text{ mA/V}^2}} = 0,5V \rightarrow$$

$$\rightarrow V_{GS} = (0,5 + 1,5)V = 2V$$

$$\textcircled{*} V_S = V_{CC} - I_D R_S = 5V - 500 \mu A \times 6k\Omega = 3V$$

↓

$$\textcircled{*} V_G = 3V - 2V = 1V$$

ma:

$$V_G = (V_{CC} - V_{DD}) \frac{R_2}{R_1 + R_2} + V_{DD} \Leftrightarrow$$

$$\boxed{R_2} \frac{(V_G - V_{DD})(R_1 + R_2)}{V_{CC} - V_{DD}} = \frac{(1V + 3V)(20k\Omega)}{8V} = \boxed{50k\Omega}$$

$$\Rightarrow \boxed{R_2 = 50k\Omega}$$

$$\boxed{V_{out}} = V_{DD} + V_{RD} = -3V + 0,5 \text{ mA} \times 6k\Omega = \boxed{0V}$$

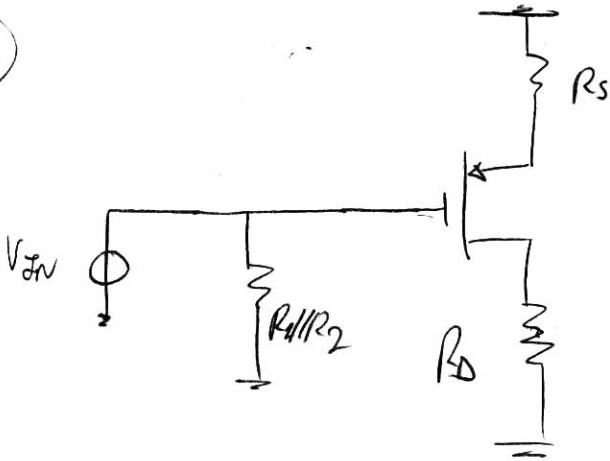
$$I_p = \frac{V_{CC} - V_{DD}}{R_1 + R_2} = 0$$

$$\boxed{|(R_1 + R_2)|} = \frac{V_{CC} - V_{DD}}{I_p} = \frac{8V}{80 \mu A} = \boxed{200k\Omega}$$

NB.  $V_{OUT} < V_G \Rightarrow J_C$   
 MOS È CENTRANTE  
 IN SATURAZIONE

$$g_m = \frac{2I_D}{V_{ov}} = \frac{1 \text{ mA}}{0.5 \text{ V}} = \boxed{\frac{2 \text{ mA}}{\text{V}}}$$

3B



$$v_{gs} = -v_{in} \frac{\frac{1}{g_m}}{\frac{1}{g_m} + R_S} \Rightarrow$$

$$i_d = g_m v_{gs}$$

$$v_{out} = R_D i_d$$

$$v_{out} = -R_D g_m \frac{\frac{1}{g_m}}{\frac{1}{g_m} + R_S} v_{in} = \frac{-g_m R_D}{1 + g_m R_S} v_{in}$$

$$G(\text{MF}) = \frac{-g_m R_D}{1 + g_m R_S} = - \frac{2 \text{ mA/V} \cdot 6 \text{ k}\Omega}{1 + \frac{2 \text{ mA}}{\text{V}} \cdot 6 \text{ k}\Omega} = - \frac{12}{9}$$

$$= \boxed{-\frac{4}{3}} = -1.3$$

3C

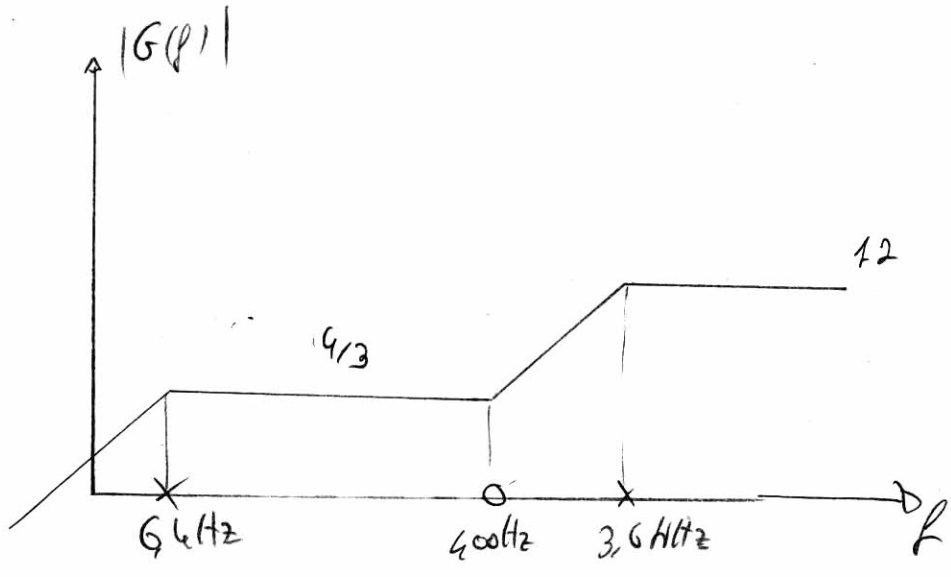
METODO 1

$$G(0) = 0$$

$$G(\text{MF}) = \frac{-g_m R_D}{1 + g_m R_S} = -\frac{4}{3}$$

$$G(\omega) = -g_m R_D = -12$$

← ENTRAMBI I CONDENSATORI SONO IN CORTO  $\rightarrow$  LO STADIO SI RIDUCE AD UN AMPLIFICATORE "SOURCE A MASSA"



Il guadagno presenta quindi 2 poli e 1 zero, due possono essere così calcolati:

$$\tau_{pL} = C_{ZU} (R_1 // R_2) = 1 \mu F \times (5k // 15k) = 2,5 \text{ ms}$$

$$|f_{pL}| = \frac{1}{2\pi \tau_{pL}} = \boxed{6,4 \text{ kHz}}$$

$$\tau_{pH} = C_S (R_S // \frac{1}{g_m}) = 100 \text{ nF} \times (4k // 500\Omega) = 44 \mu s$$

$$|f_{pH}| = \frac{1}{2\pi \tau_{pH}} = \boxed{3,6 \text{ kHz}}$$

$$|f_{z}| = \frac{4/3}{42} f_p = \frac{4}{3} \cdot \frac{1}{\cancel{2} \cdot 3} f_{pH} = \frac{f_{pH}}{9} = \boxed{400 \text{ Hz}}$$

← INFATTI IN UN TRATTO CON PENDENZA +20 dB/dec SI MANTIENE COSTANTE IL RAPPORTO GUADAGNO-BANDA

ME7000 2

$$|G(s)| = \frac{R_1 // R_2}{R_2 // R_1 + \frac{1}{sC_{ZU}}} \times \frac{-g_m R_D}{1 + g_m (R_S // \frac{1}{sC_S})} =$$

$$= \frac{(R_1 // R_2) s C_{ZU}}{1 + s C_{ZU} (R_1 // R_2)} \cdot \frac{-g_m R_D}{1 + \frac{g_m R_S}{(1 + s C_S R_S)}}$$

$$= \frac{s (C_{ZU} R_1 // R_2)}{1 + s C_{ZU} (R_1 // R_2)} \cdot \frac{(-g_m R_D) (1 + s C_S R_S)}{1 + g_m R_S + s C_S R_S} =$$

$$= \frac{-g_m R_D}{1 + g_m R_S} \cdot \frac{1 + s C_S R_S}{1 + s C_S \left( \frac{R_S // R_{in}}{R_S + 1/g_m} \right)}$$

$$= \left[ \frac{-g_m R_D}{1 + g_m R_S} \cdot \frac{1 + s C_S R_S}{1 + s C_S \left( \frac{R_S // 1/g_m}{R_S + 1/g_m} \right)} \cdot \frac{s C_{IN} (R_1 // R_2)}{1 + s C_{IN} (R_1 // R_2)} \right]$$

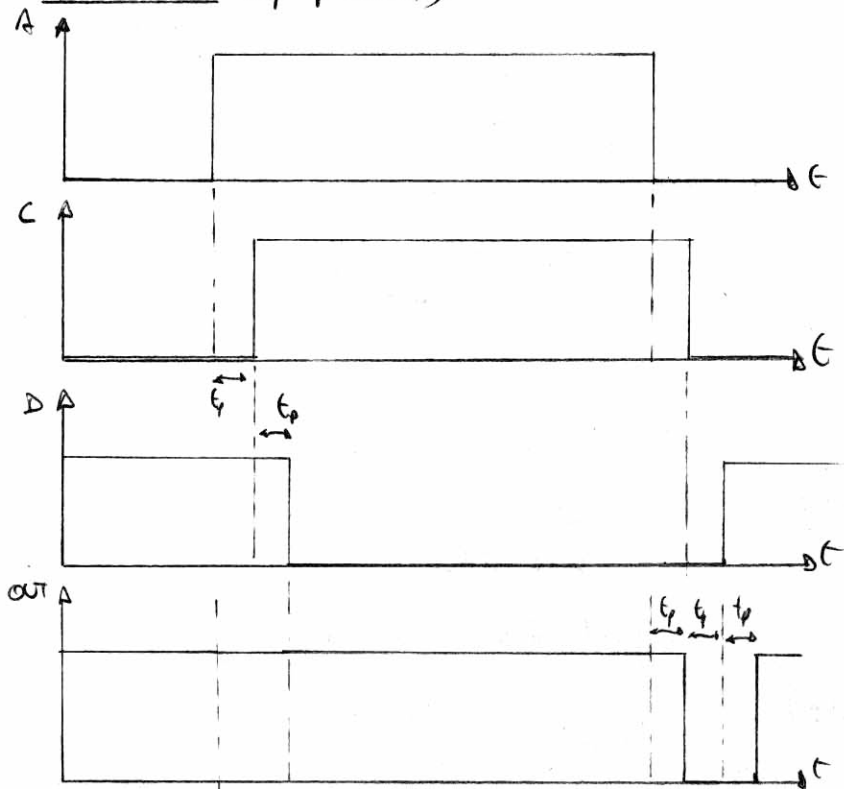
### ESERCIZIO 4

4.A

A \ B	0	1
0	1	0
1	1	1

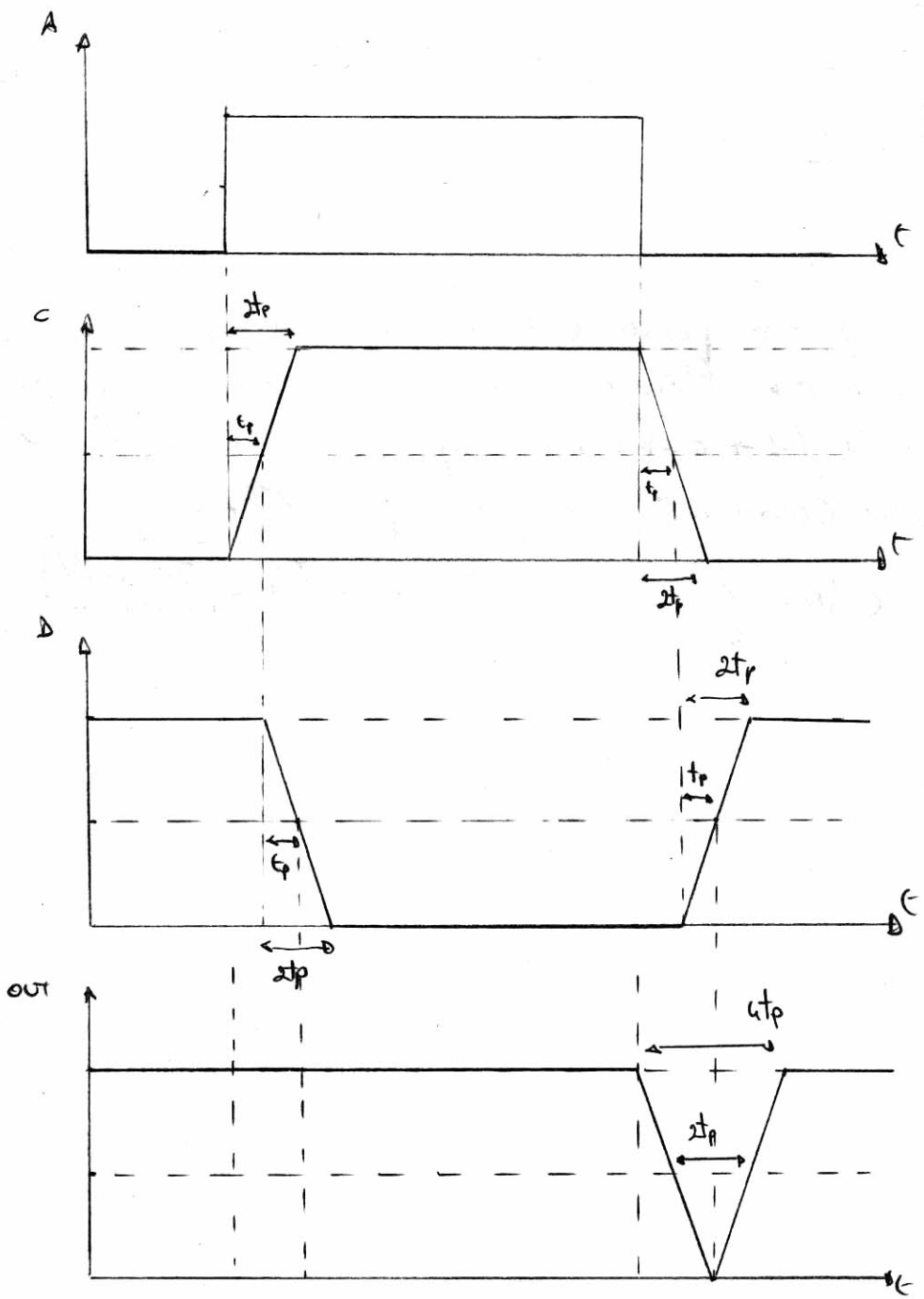
4.B

METODO 1 (prof. COVA)





METODO 2 (prof. sta GUAZZONI)



4.C

Caso 1:  $t_p = 0$

In assenza di ritardi propagazione la OR-3 non commuta  $\rightarrow$

$$\rightarrow |P_{\text{Diss}} = 0|$$

Caso 2:  $t_p = 10 \text{ ns}$

Come visto nel punto 4.B i ritardi di propagazione fanno sì che l'uscita debba una commutazione completa ( $1 \rightarrow 0 \rightarrow 1$ ) per ogni periodo di A. Quindi l'uscita commuta con freq.  $f = 1 \text{ MHz}$ :

$$|P_{\text{Diss}}| \approx C V_{\text{CC}}^2 f = 2 \text{ pF} \times (5 \text{ V})^2 \times 1 \text{ MHz} = |50 \mu\text{W}|$$